## Mathematics | Grade 6

I Gade 6, c a e df c f c caaea:(1) c ec g a a dae e be caa a dd a d g c ce f a a dae e be ;(2) c c g de a d g f d ff ac a de e d g e f be e e f a a be, c c de ega e be; (3) g, e e g, a d g e e a de a ; a d(4) de e e g de a d g f a ca g.

> (1) S de eea gab ca add e a adae be ab a e.B e ge ae a adae ade gf, ade ed g, f ( c ) e ca abe, adb aa g cda g a dcae eea e ef a e, de c ec e de ad g f ca add a adae.T de e de e c f be f c e ca e ca add

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eda e bed g edb e a ab .S de ea dec be ad a e e cadaa e , de f gc e , 🎝 a , ga 🦂 a d e , c de g ec e c eda a e e c e ced.

S de Gade6a b d e aea ee e a c b ea gab ea a g a dee eaea, faceaea, a d e. T e da ea f g age, e age, a d ca ad aea b dec g e e a , ea ag g e g ce, a d ea g e a eca ge. U g ee e d, de d c , de a d f f a f aea f a ge a d a e g a. S de da ea f g a d face a ea e ca de e e. T e ea ab g eca g a fac a de e g e e d f a f e e fa g eca g a fac a de e g . T e e e fa g eca d a g a d c c Gade7b da g g e c d a e a e.

### Grade 6 Overview

#### **Ratios and Proportional Relationships**

• Understand ratio concepts and use ratio reasoning to solve problems.

#### The Number System

- Apply and extend previous understandings of multiplication and division to divide fractions by fractions.
- Compute fluently with multi-digit numbers and find common factors and multiples.
- Apply and extend previous understandings of numbers to the system of rational numbers.

#### **Expressions and Equations**

- Apply and extend previous understandings of arithmetic to algebraic expressions.
- Reason about and solve one-variable equations and inequalities.
- Represent and analyze quantitative relationships between dependent and independent variables.

#### Geometry

• Solve real-world and mathematical problems involving area, surface area, and volume.

#### Statistics and Probability

- · Develop understanding of statistical variability.
- Summarize and describe distributions.

#### Mathematical Practices

- 1. Maeeef 2be ad 2eee g e.
- 2. Rea ab ac ad a a e.
- 3. C c abeag e adc e e ea g f e .
- 4. M de a e a c.
- 5. Uea 🎎 🎝 ae aeg ca.
- 6. A e d 🌲 c .
- 7. L fadae efce.
- 8. L f a d e 📥 eg a e 🎝 a ed ea g.

#### **Ratios and Proportional Relationships**

6.RP

# Understand ratio concepts and use ratio reasoning to solve problems.

- 1. U de a d e c ce f a a a d e a a g age de c be a a e a se e e a e . For example, "The ratio of wings to beaks in the bird house at the zoo was 2:1, because for every 2 wings there was 1 beak." "For every vote candidate A received, candidate C received nearly three votes."
- U de a d ec ce i fa a e a/b a caed a a a:b b≠0, a d e a e a g age ec e fa a ea
  For example, "This recipe has a ratio of 3 cups of flour to 4 cups of sugar, so there is 3/4 cup of flour for each cup of sugar." "We paid \$75 for 15 hamburgers, which is a rate of \$5 per hamburger."<sup>1</sup>
- 3. U e a a d a e ea g e ea-dada e a ca b e, e.g., b ea gab abe fe a e a, a d ag a, d b e b e e d ag a, 1 e 6 a b b e d

Apply and extend previous understandings of numbers to the system of rational numbers.

5. U de a d a

- b. Ide f a fa e e g a e a ca e ( , e , d c , fac , e , c ef. ce ); e e e fa e e a a g e e . For example, describe the expression 2 (8 + 7) as a product of two factors; view (8 + 7) as both a single entity and a sum of two terms.
- C. E a a e e a c. c a e f e a abe. I c de e a a e f f a ed ea d b e. Pe f a e c a , c d g e g ebe e e , e c e a de e e e a e a e c f a c a de (O de f O a ). For example, use the formulas  $V = s^3$  and  $A = 6 s^2$  to find the volume and surface area of a cube with sides of length s = 1/2.
- 3. A 22 e 2 2 e f 2 a ge e a e e a e e 2 . For example, apply the distributive property to the expression 3(2 + x) to produce the equivalent expression 6 + 3x; apply the distributive property to the expression 24x + 18y to produce the equivalent expression 6(4x + 3y); apply properties of operations to y + y + y to produce the equivalent expression 3y.
- 4. Ide f e e a e a e a e (.e., e e e a e be ega d e f c a e b ed e ). For example, the expressions y + y + y and 3y are equivalent because they name the same number regardless of which number y stands for.

#### Reason about and solve one-variable equations and inequalities.

- 5. Udead gaea ea aa Acef a ega e : c a efa Acede, fa, a e eea ea e? Ueb <sup>c</sup> dee e ee ag e bea Acedea ea ea ea
- 6. Ue a abe e de e be a dee de e ga ea-da e a ca de e da a a abeca e de a be,, de dge de a d, a be a dc, e de.
- 7. S e ea- dad a e a ca 2be b gad g e a f ef x+p=qadpx=qf cae c p, qad xaea ega e a a be.
- 8. Weale a fef x > c x < c e 2e e ac a c d a ea d a e a ca 2e be . Recg e a e a e fef x > c x < c a e a c 2e ; e 2e f c e a e fed aga .

# Represent and analyze quantitative relationships between dependent and independent variables.

9. Ue a abe e e e a e a ea d be a c a ge ea , g fa e de de a abe, e f e e a , g fa e de de a abe, e f e e a , g fa e de de a abe. A a e e ea be ee e de de a d de de a abe g g a a d abe, a d ea e e e e e a . For example, in a problem involving motion at constant speed, list and graph ordered pairs of distances and times, and write the equation d = 65t to represent the relationship between distance and time.

#### Geometry

6.G

Solve real-world and mathematical problems involving area, surface area, and volume.

1. F d eaeafg age, e age, Aca adaea, ad Ag b c Ag ecage dec Ag age ad e a A; a A e e ec e ec e f g ea-dad a e a ca Abe.

- 2. F d e e fa g eca g a fac a edge eg b c g c be f ea fac edge eg , a d a e e e a ea d be f d b g eedge eg f e A. A a e f a V=Iwha d V=bh d e f g eca g a fac a edge e g ec e f g ea d a d a e a ca be.
- 3. Da j g ec dae legec daef e e ce; ec dae deeg fa de g e a e c dae ea ec dc dae. A j ee ec e ec f gea-dadaea ca j be .
- 4. Re de ee-de a.ge ge ade de fecage a dage, a de ee de de faceaea fee .ge.A de eec e ec e fgea-d a da ea ca de aea